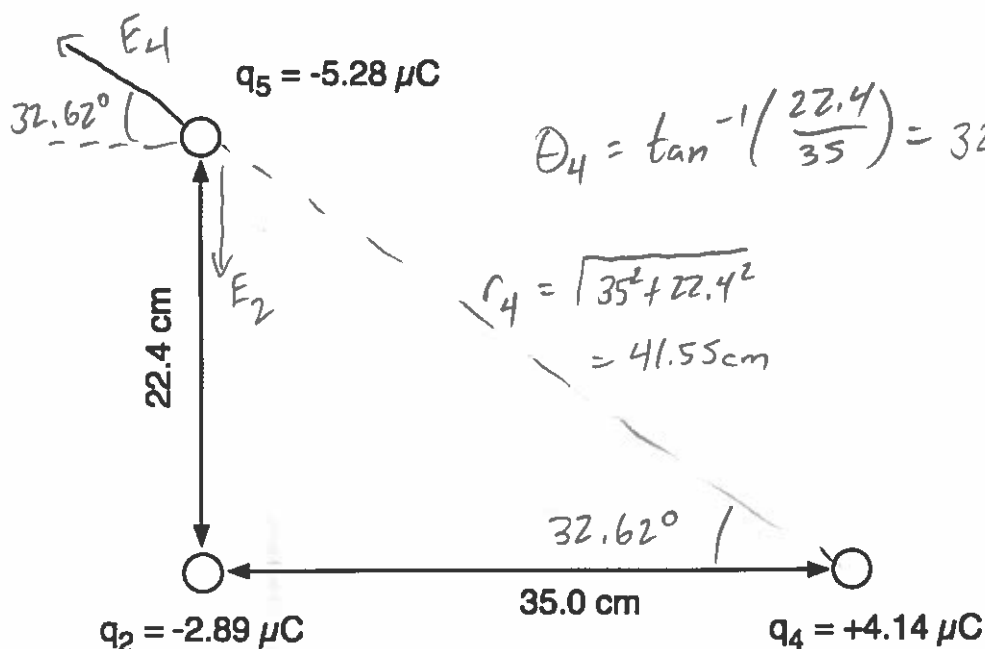


Sp20 1C #1

A 244-gram mass (q_5) is located in the vicinity of two other charges as shown below.

- What is the magnitude and direction of the electric field at the location of charge q_5 due to the other charges?
- What is the magnitude and direction of the acceleration of charge q_5 as a result of the electric force it feels?



$$\theta_4 = \tan^{-1}\left(\frac{22.4}{35}\right) = 32.62^\circ$$

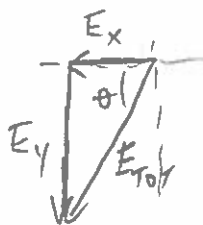
$$r_4 = \sqrt{35^2 + 22.4^2} = 41.55 \text{ cm}$$

$$|E_2| = \frac{k_c q_2}{r_2^2} = \frac{(9 \times 10^9)(2.89 \times 10^{-6})}{.224^2} = 5.184 \times 10^5 \frac{\text{N}}{\text{C}}, -y$$

$$|E_4| = \frac{k_c q_4}{r_4^2} = \frac{(9 \times 10^9)(4.14 \times 10^{-6})}{.4155^2} = 2.158 \times 10^5 \frac{\text{N}}{\text{C}}, 32.62^\circ \text{ above } -x$$

$$E_{\text{TOT},x} = E_{2x} + E_{4x} = 0 - 1.818 \times 10^5 = -1.818 \times 10^5$$

$$E_{\text{TOT},y} = E_{2y} + E_{4y} = -5.184 \times 10^5 + 1.163 \times 10^5 = -4.021 \times 10^5$$



$$E_{\text{TOT}} = \sqrt{E_x^2 + E_y^2} = 4.41 \times 10^5 \frac{\text{N}}{\text{C}}$$

$$\theta = \tan^{-1}\left(\frac{4.021}{1.818}\right) = 65.7^\circ \text{ below } -x$$

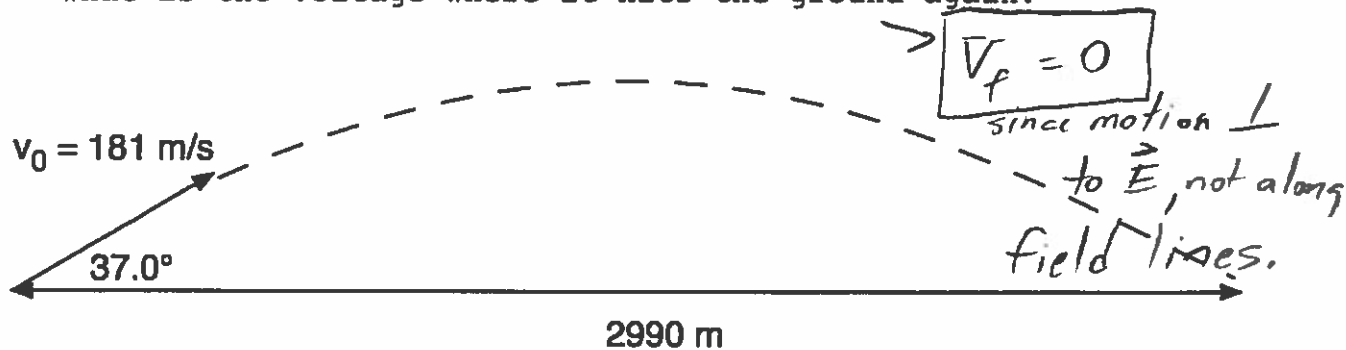
$$b) |a| = \frac{qE}{m} = \frac{(5.28 \times 10^{-6})(4.41 \times 10^5)}{.244} = 9.54 \text{ m/s}^2, 65.7^\circ \text{ above } +x$$

opp. dir of \vec{E} since $q_5 -$

Sp 20 1C #2

A $-25.0 \mu\text{C}$ charge with a mass of 427 grams is launched in a direction 37.0° above the ground as shown with an initial velocity of 181 m/s. It hits the ground again after traveling a horizontal distance of 2990 meters, and all of the motion takes place within a uniform electric field oriented vertically (either up or down). Assume only the electric force and gravity are relevant.

- What is the magnitude and direction of the uniform electric field in which this charge is immersed?
- If the voltage at the beginning of its motion is 0 Volts, what is the voltage where it hits the ground again?



W_E does no work in this problem since $\vec{\Delta s}$, \vec{F}_E are perpendicular, so we must use 2-d motion equations.

<u>X</u>	<u>Y</u>	1) Use x to find t:
$\Delta x = 2990$	$\Delta y = 0$	$\Delta x = v_{ox}t + \frac{1}{2}a_x t^2 \Rightarrow 0$
$v_{ox} = 144.55 \text{ m/s}$	$v_{oy} = 108.92$	$t = \frac{2990}{144.55} = 20.68 \text{ s}$
$v_x = 144.55 \text{ m/s}$	$v_y = ?$	
$a_x = 0$	$a_y = ?$	2) Use t to find a_y :
$t = ?$	$t = ?$	

F_E points down since $|a_y| > 9.8 \text{ m/s}^2$

$$\Delta y = v_{oy}t + \frac{1}{2}a_y t^2$$

$$0 = (108.92)(20.68) + \frac{1}{2}a_y(20.68)^2$$

$$a_y = \frac{-(108.92)(20.68)}{\frac{1}{2}(20.68)^2} = -10.53 \text{ m/s}^2$$

$\vec{E} = \frac{|\vec{F}_E|}{|q|} = \frac{.313}{25 \times 10^{-6}}$

$= 12500 \frac{\text{N}}{\text{C}}, \uparrow$

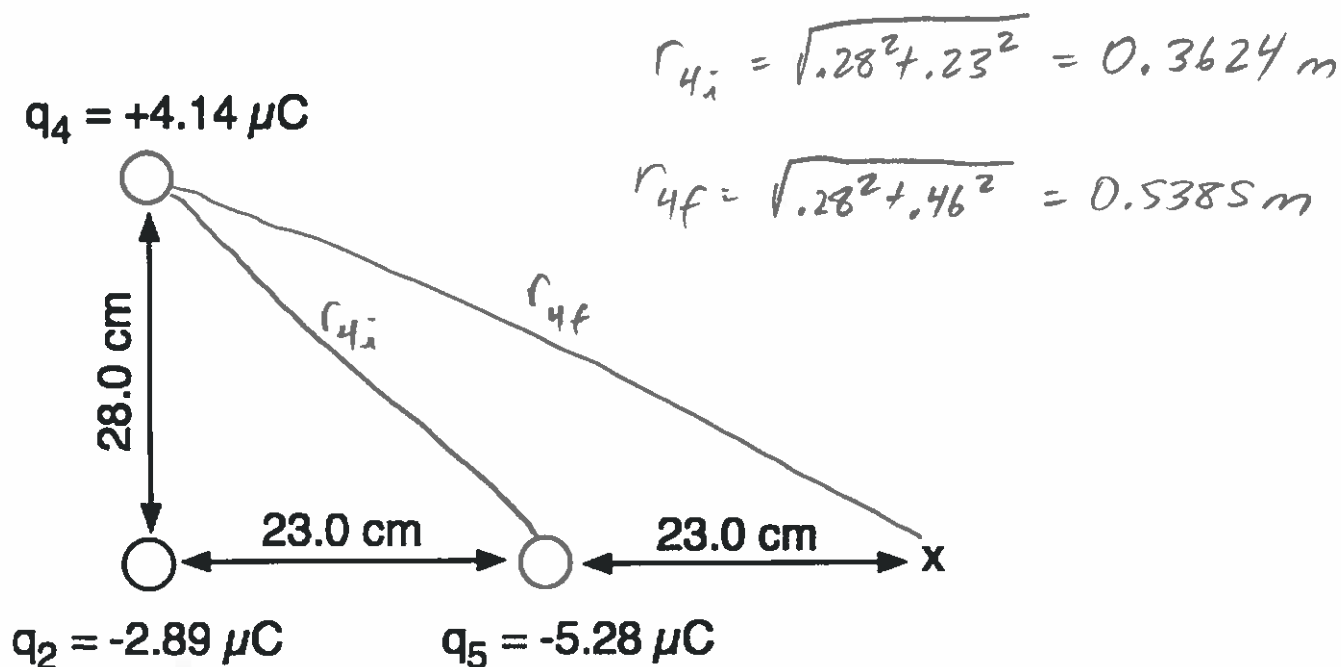
points up since $F_E \downarrow + q -$

$$-F_E - mg = ma \Rightarrow F_E = -ma - mg$$

$$F_E = (.427)(10.53 - 9.8) = 0.313 \text{ N}$$

Sp 20 1C #3

For the arrangement shown below, calculate the work done by the electric force as charges q_2 and q_4 remain fixed in place while charge q_5 moves from its initial location shown to point x, which is directly to the right of its initial location.



$$r_{4i} = \sqrt{.28^2 + .23^2} = 0.3624 \text{ m}$$

$$r_{4f} = \sqrt{.28^2 + .46^2} = 0.5385 \text{ m}$$

$$V_i = \frac{k_c q_2}{r_{2i}} + \frac{k_c q_4}{r_{4i}} = \frac{(9 \times 10^9)(-2.89 \times 10^{-6})}{.23} + \frac{(9 \times 10^9)(4.14 \times 10^{-6})}{.3624}$$

$$= -113087 + 102815 = -10272 \text{ Volts}$$

$$V_f = \frac{(9 \times 10^9)(-2.89 \times 10^{-6})}{.46} + \frac{(9 \times 10^9)(4.14 \times 10^{-6})}{.5385}$$

$$= -56543 + 69192 = 12649 \text{ Volts}$$

$$W_E = -q_5 (V_f - V_i)$$

$$= -(-5.28 \times 10^{-6})(12649 - (-10272))$$

$$= \boxed{0.121 \text{ J}}$$