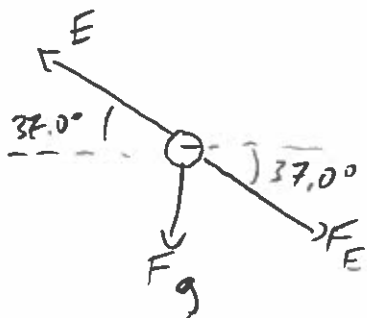


Sp 20 18 #1
E

An experimenter is attempting to hold a 3.15 kg ball in place. The ball has a $-424 \mu\text{C}$ charge on it, and the ball is immersed in an electric field of magnitude 87500 N/C , pointing in a direction 36.0° above the $-x$ direction. What is the magnitude and direction of the applied force needed to hold the ball in place? Assume gravity, electric and applied forces are all relevant.



$$|F_g| = mg = 30.87 \text{ N}, -y \text{ dir}$$

$$|F_E| = qE = 37.1 \text{ N}, 36^\circ \text{ below } +x$$

$$|F_{\text{App}}| = ?$$

$$F_{g,x} = 0$$

$$F_{g,y} = -30.87 \text{ N}$$

$$F_{E,x} = 37.1 \cos 36^\circ = 30.01$$

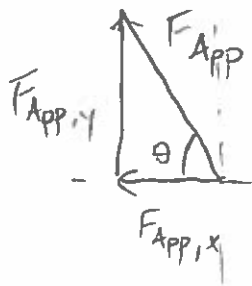
$$F_{E,y} = -37.1 \sin 36^\circ = -21.81 \text{ N}$$

$$F_{g,x} + F_{E,x} + F_{\text{App},x} = 0$$

$$0 + 30.01 + F_{\text{App},x} = 0 \Rightarrow F_{\text{App},x} = -30.01$$

$$F_{g,y} + F_{E,y} + F_{\text{App},y} = 0$$

$$-30.87 - 21.81 + F_{\text{App},y} = 0 \Rightarrow F_{\text{App},y} = +52.68$$



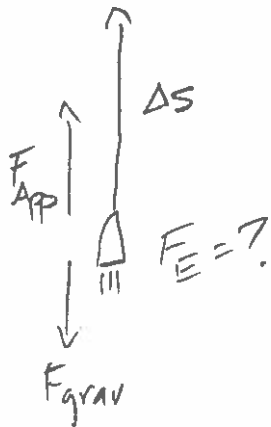
$$|F_{\text{App}}| = \sqrt{30.01^2 + 52.68^2} = 60.6 \text{ N}$$

$$\theta = \tan^{-1}\left(\frac{52.68}{30.01}\right) = 60.3^\circ \text{ above } -x$$

SP20 1E #2

A 3.50-kg model rocket's engines provide a constant upward (+y) applied force of 122 N. The rocket is also moving through a uniform electric field of 7850 N/C pointing in the -y direction. Assume only gravity, the applied force and the electric force are relevant in this problem. Starting from rest, the rocket moves upwards a total distance of 338 meters in 4.68 seconds, and the rocket has some charge q .

- Find the value of q for the rocket, and be sure to indicate clearly whether it is positive or negative.
- How much work is done by the electric force during this motion?



$$\Sigma W_F = W_{App} + W_{grav} + W_E = \Delta K$$

$$(122)(338) - (3.50)(9.8)(338) + W_E = \frac{1}{2}(13.5)v^2$$

$$\begin{aligned} \Delta y &= 338 & \Delta y &= \frac{1}{2}(v + v_0)t \\ v_{0y} &= 0 & 338 &= \frac{1}{2}v(4.68) \\ t &= 4.68 \text{ s} & v &= 144.4 \text{ m/s} \end{aligned}$$

$$41236 - 11593 + W_E = 36510$$

$$\Rightarrow W_E = 6867 \text{ J}$$

Since $W_E +$, F_E points \uparrow

Since \vec{E} points down, opposite \vec{F}_E , q must be negative

$$6867 = +|qE\Delta s| = q(7850)(338)$$

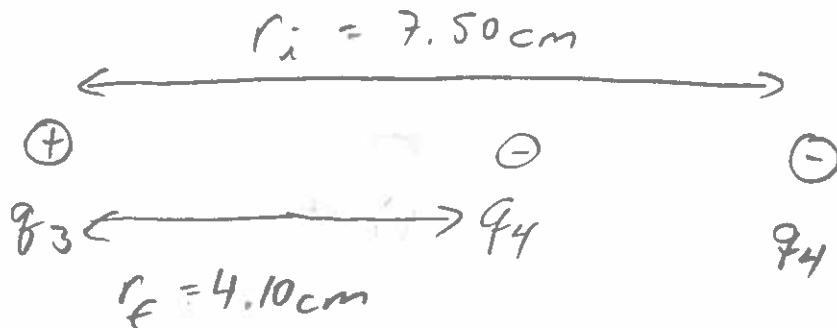
$$|q| = 2.59 \times 10^{-3} \text{ C} \Rightarrow \boxed{q = -2.59 \times 10^{-3} \text{ C}}$$

$$\text{b) See above, } \boxed{W_E = 6870 \text{ J}}$$

Sp 20 IE #3

Charge q_3 ($3.00 \mu\text{C}$) is fixed in place at the origin. Nearby, at a coordinate $x = 7.50 \text{ cm}$, a charge q_4 ($-4.80 \mu\text{C}$) with a mass of 382 grams is initially at rest. An unknown applied force also acts in this problem in addition to the electric force while charge q_4 moves from its initial location at $x = 7.50 \text{ cm}$ to its final location at $x = 4.10 \text{ cm}$. When it arrives at its final location, q_4 has a speed of 133 m/s in the $-x$ direction.

How much work is done by the applied force during this motion?



$$\Sigma W_F = W_E + W_{\text{App}} = \Delta K$$

$$V_i \text{ due to } q_3 = \frac{k_c q_3}{r_i} = \frac{(9 \times 10^9)(3 \times 10^{-6})}{.075} = 360,000 \text{ Volts}$$

$$V_f \text{ due to } q_3 = \frac{(9 \times 10^9)(3 \times 10^{-6})}{.041} = 658,537 \text{ Volts}$$

$$W_E = -q_4 \Delta V_3 = -(-4.80 \times 10^{-6})(658,537 - 360,000) = +1.433 \text{ J}$$

$$\Delta K = \frac{1}{2}mv^2 - 0 = \frac{1}{2}(.382)(1.33)^2 = 0.338 \text{ J}$$

$$\rightarrow 1.433 + W_{\text{App}} = 0.338$$

$$W_{\text{App}} = -1.10 \text{ J}$$